

## **Introduction:**

Communication systems: used to transmit information bearing signals through a communication channel.

The proper utilization of the communication channel requires a shift (called modulation) of the range of the baseband frequencies into other frequency ranges suitable for transmission (reverse of the receiver).

Modulating wave  $\triangleq$  baseband (original) signal.

Modulated wave  $\triangleq$  result of carrier modulating.

## **Amplitude modulation**

Consider:

$$C(t) = A_c \cos(2 * \pi * f_c * t)$$

Sinusoidal carrier wave  $A_c$  &  $f_c$  are the carrier Amplitude & carrier frequency.

Let:

$$m(t) = \text{Original signal (baseband message)}$$

## **Define:**

Amplitude modulation (AM): It is a process in which the amplitude of the carrier wave  $C(t)$  is varied about a mean value, linearly with the baseband signal  $m(t)$ .

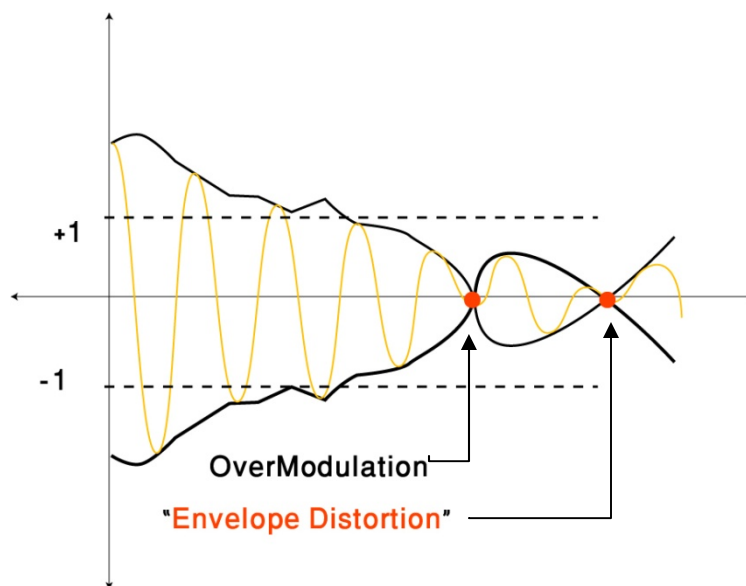
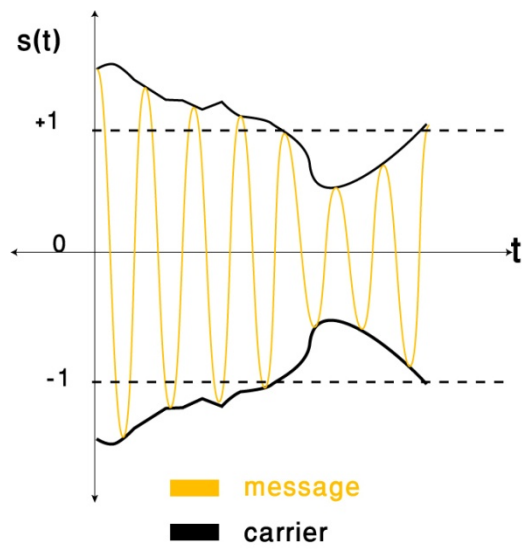
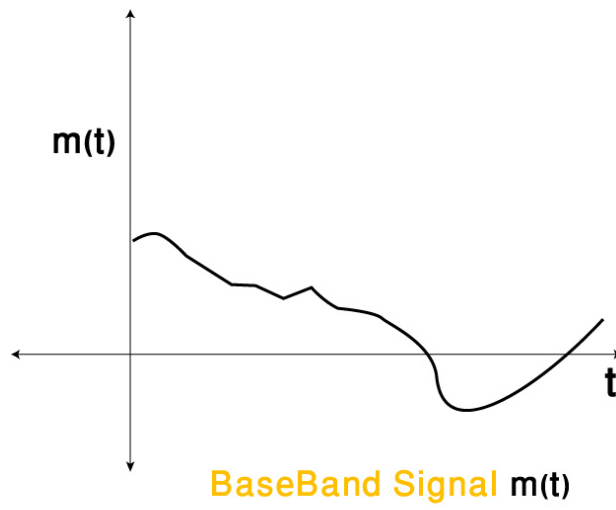
$$S(t) = A_c [1 + K_a m(t)] \cos(2\pi * f_c * t)$$

$S(t)$ : Amplitude modulated wave.

$K_a$ : Amplitude sensitivity.

$m(t)$ : can be normalized.

$A_c$  &  $m(t)$  are measured in volts  $\rightarrow K_a$  is measured in volts<sup>-1</sup>.



Figures show the baseband signal  $m(t)$  & the corresponding AM wave  $S(t)$  for two values of amplitude sensitivity  $K_a$  & a carrier amplitude  $A_c=1$  volt.

❖ The envelop of  $S(t)$  has (essentially) the same shape as the baseband signal  $m(t)$ , provided that

1. The amplitude of  $(K_a m(t))$  is always less than unity

$$|K_a m(t)| < 1 \text{ for all } t$$

Figure 3.1b:

$|K_a m(t)| < 1 \text{ for all } t \rightarrow 1 + K_a m(t) > 0 \rightarrow$  the envelop is a positive function.

❖ When the amplitude sensitivity  $K_a$  of the modulator is large enough to make  $|K_a m(t)| > 1$  for any time, the carrier wave becomes “Overmodulated”.

- Overmodulated: resulting in carrier phase reversals whenever the factor  $1 + K_a m(t)$  crosses zero.
- The modulated wave exhibits “envelop distortion” Fig. 3.1c

By avoiding overmodulation (restricting  $|K_a m(t)| < 1$ ), a one-to-one relation is maintained between the envelope of the AM wave & the modulating wave (original baseband) for all time.

❖ The percentage modulation: is the absolute maximum value of  $(\frac{K_a m(t)}{100})^*$

$$(100 \frac{K_a m(t)}{100}) \leftarrow \% \text{ modulation}$$

second requirement for the envelop  $s(t)$  to have the same shape as the baseband  $m(t)$  signal- is:

The carrier frequency  $f_c$  is much greater than the highest frequency component  $W$  of the message signal  $m(t)$ ,

$$f_c \gg W, \text{ where } W: \text{ message bandwidth}$$

$$f_c: \text{ carrier frequency}$$

If  $(f_c \gg W)$  is NOT satisfied, an envelope cannot be visualized (hence cannot be detected) satisfactorily.